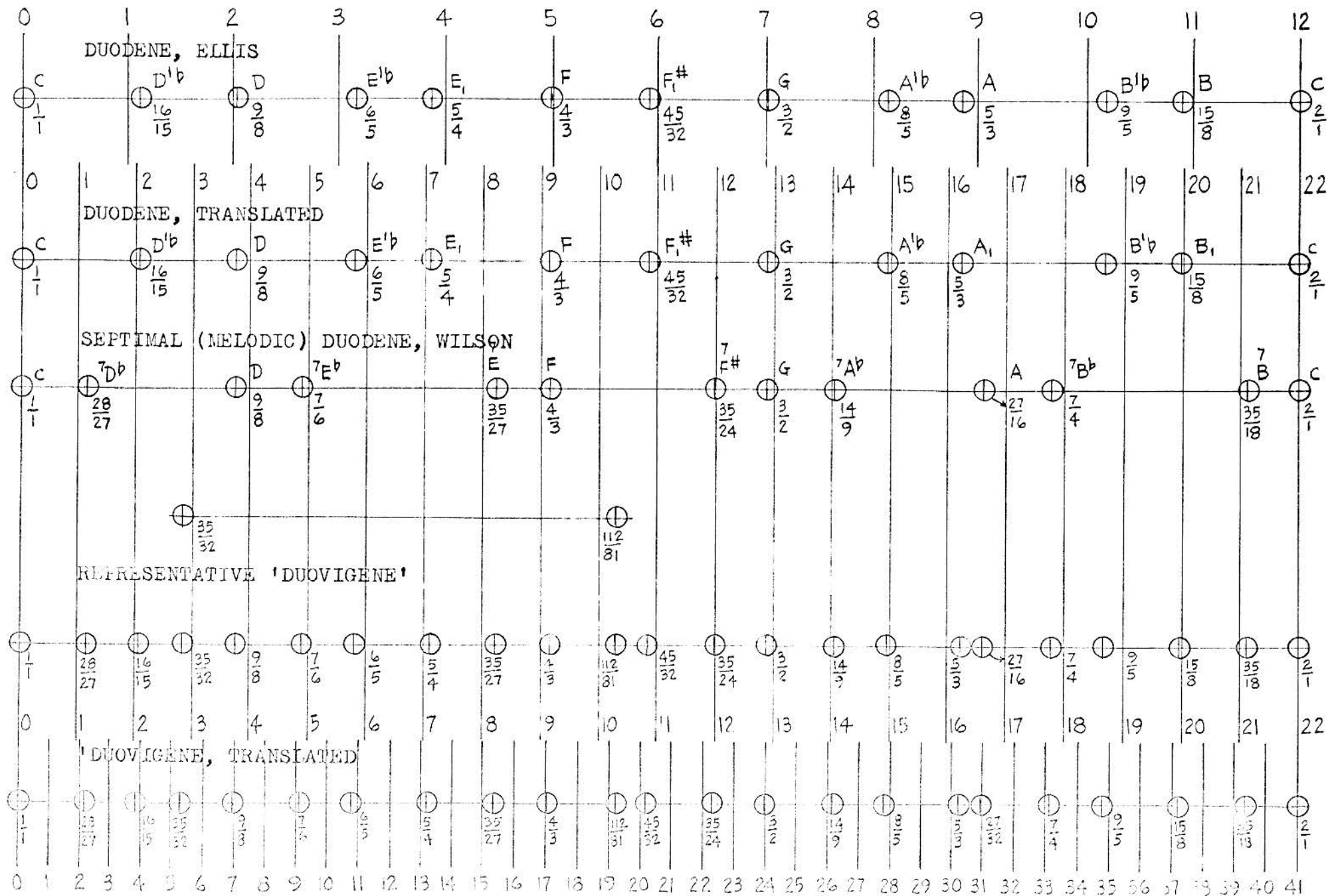


John, Wright
Etc

ACOUSTICAL STUDY Issued 5 Aug 64 by E. Wilson



	$\sqrt[22]{2}^m$		$\frac{50.50}{\sqrt[22]{2}^m}$	mut $\rightarrow$	$\frac{25.25}{\sqrt[22]{2}^m}$	$\frac{12.625}{\sqrt[22]{2}^m}$
0.	1.0000	000000	50.5000		25.2500	12.6250
1.	1.0320	08280	48.934		24.467	12.233
2.	1.0650	41090	47.416		23.708	11.854
3.	1.0991	31223	45.945		22.973	11.486
4.	1.1343	12521	44.520		22.260	11.130
5.	1.1706	19914	43.140		21.570	10.785
6.	1.2080	89444	41.802		20.901	10.450
7.	1.2467	58309	40.505		20.252	10.126
8.	1.2866	64898	39.249		19.624	9.812
9.	1.3278	48827	38.031		19.016	9.508
10.	1.3703	50984	36.852		18.426	9.213
11.	1.4142	13562	35.709		17.854	8.927
12.	1.4594	80106	34.601		17.301	8.650
13.	1.5061	95554	33.528		16.764	8.382
14.	1.5544	06282	32.488		16.244	8.122
15.	1.6041	60154	31.481		15.740	7.870
16.	1.6555	06560	30.504		15.252	7.626
17.	1.7084	96478	29.558		14.779	7.390
18.	1.7631	82511	28.641		14.321	7.160
19.	1.8196	18948	27.753		13.876	6.938
20.	1.8778	61820	26.892		13.446	6.723
21.	1.9379	68947	26.058		13.029	6.514
22.	2.0000	00000	25.250		12.625	6.312

22nd Roots of 2

— String lengths 22T —

Issued: Erv Wilson 10 JAN 64

22-TONE GUITAR

Issued by Erv Wilson 14 Jan 64

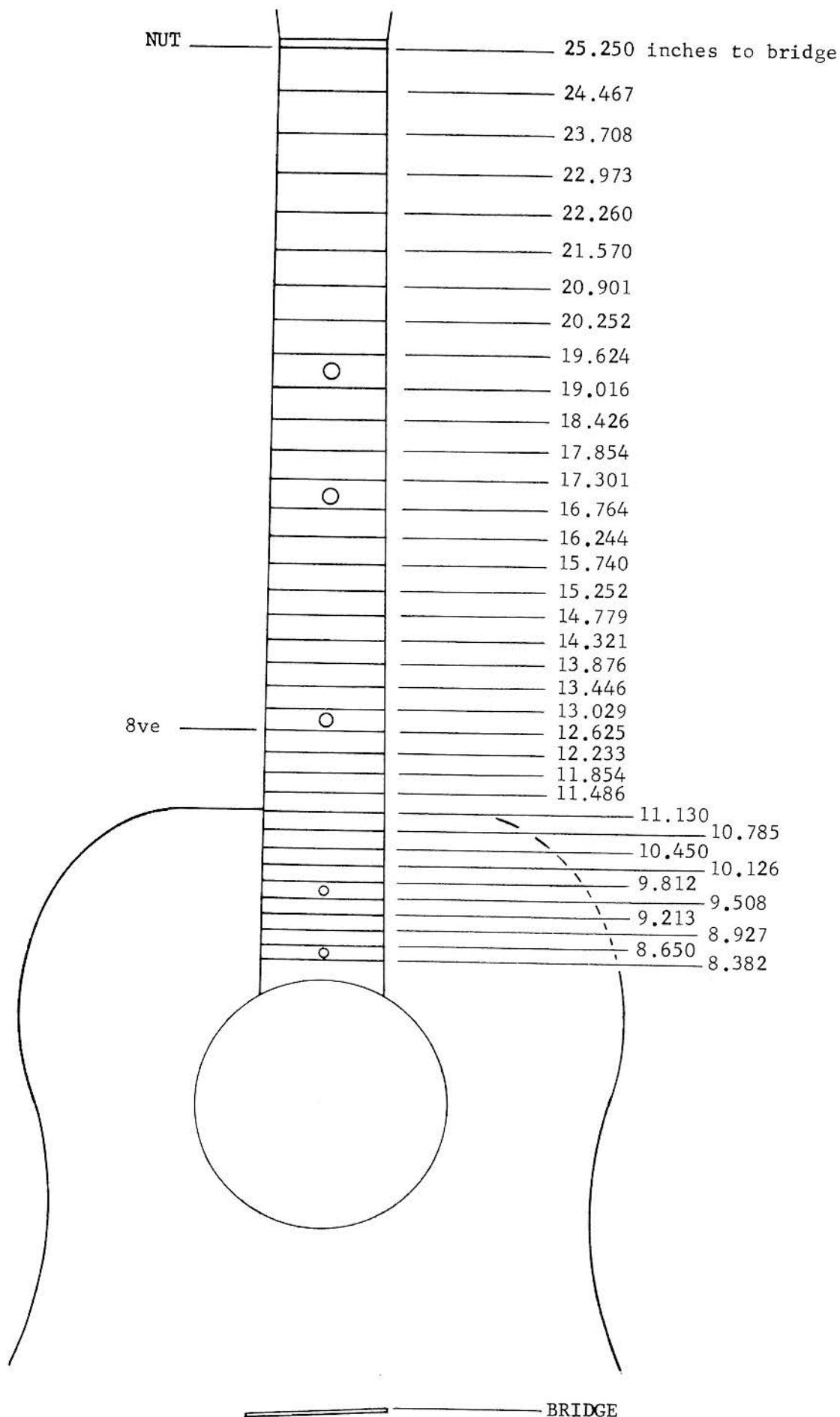


Figure 6.6

0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22
13	14	15	16	17	18	19	20	21	$\frac{22}{0}$	1	2	3	4	5	6	7	8	9	10	11	12	13
5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	$\frac{22}{0}$	1	2	3	4	5
18	19	20	21	$\frac{22}{0}$	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18
9	10	11	12	13	14	15	16	17	18	19	20	21	$\frac{22}{0}$	1	2	3	4	5	6	7	8	9
0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22

19 April 69
1219 Poinsettia Drive
L. A. 90046

John,

Hi; As it so happens, Dave Rothenberg is down here. I introduced him to the EMA last Tuesday and he told us briefly what he was doing. We are all meeting here at my place this coming Tuesday to continue his discussion. I hope he can give us some kind of audible illustration on the kromafone because, frankly, his math overwhelms me.

I've found ^{four} ~~few~~ species of articulate eikosany generating hexads, in 22.

I
1x 0 1 3 12 21 6 (1 2 3 6 9 1)
3x 0 3 9 14 19 18 (3 6 5 4 1 3)
5x 0 5 15 16 17 8 (5 3 7 1 1 5)
7x 0 7 21 18 15 20 (7 8 3 2 1 1)
9x 0 9 5 20 13 10 (5 4 1 3 7 2)

II
1x 0 1 3 7 13 21 (1 2 4 6 8 1)
3x 0 3 9 21 17 19 (3 6 8 2 2 1)
5x 0 5 15 13 21 17 (5 8 2 2 4 1)
7x 0 7 21 5 3 15 (3 2 2 8 6 1)
9x 0 9 5 19 7 13 (5 2 2 4 6 3)

III
1x 0 1 3 11 17 21 (1 2 8 6 4 1)
3x 0 3 9 11 7 19 (3 4 2 2 8 3)
5x 0 5 15 11 19 17 (5 6 4 2 2 3)
7x 0 7 21 11 9 15 (7 2 2 4 6 1)
9x 0 9 5 11 21 13 (5 4 2 2 8 1)

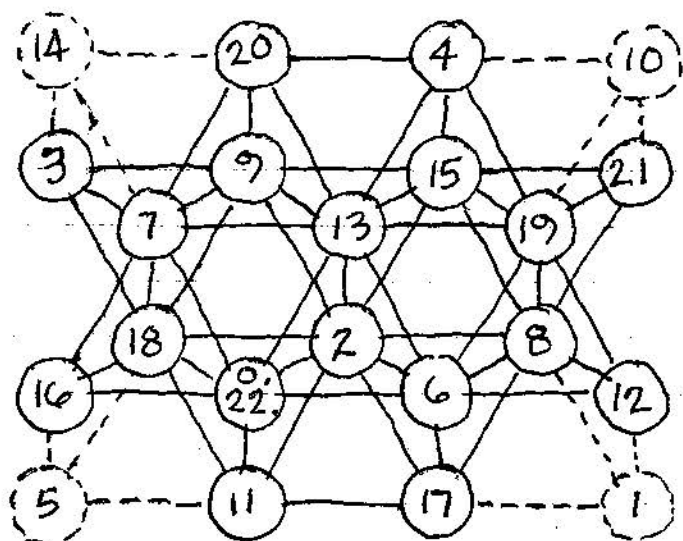
! IV
1x 0 1 3 5 9 15 (1 2 2 4 6 7)
3x 0 3 9 15 5 1 (1 2 2 4 6 7)
5x 0 5 15 3 1 9 (1 2 2 4 6 7)
7x 0 7 21 13 19 17 (7 6 4 2 2 1)
9x 0 9 5 1 15 3 (1 2 2 4 6 7)

By juggling and superposing the hexads in each specie a notable homogeneity can be observed. This homogeneity reaches its maximum in group IV where, quite surprisingly, the transforms are identical in melodic sequence (or reciprocal in the case of 7x).

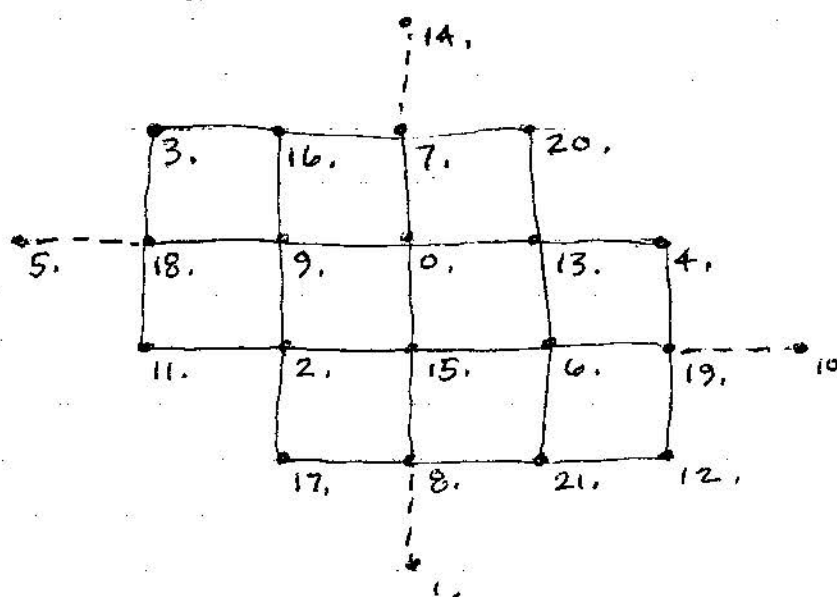
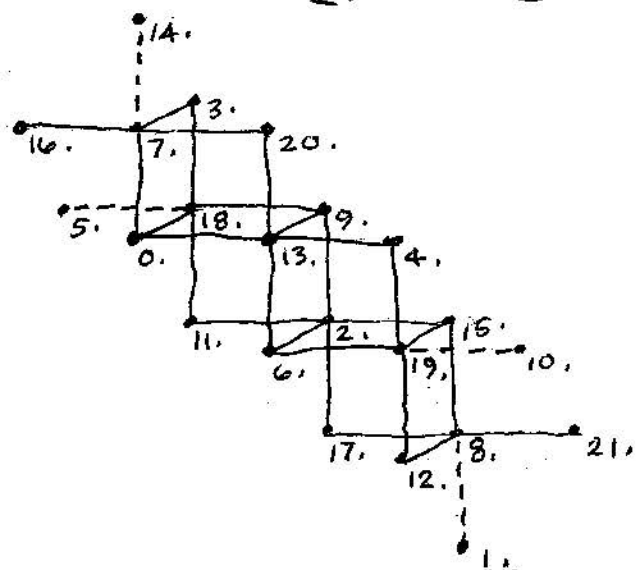
This could very well represent all the articulate eikosany in 22, but it will be a very tedious job proving it. On the other hand it is not unthinkable that I have slipped up on a whole set.

I was thinking the other day about Wm Lyman Young's suggestion that the semi-Fifth be used as a measuring rod, and his proposed 7-10-7 quartertone keyboard; trying to reconstruct it without referring to his document (report to the Swedish Royal Academy of Music) I got this very surprising and interesting result:

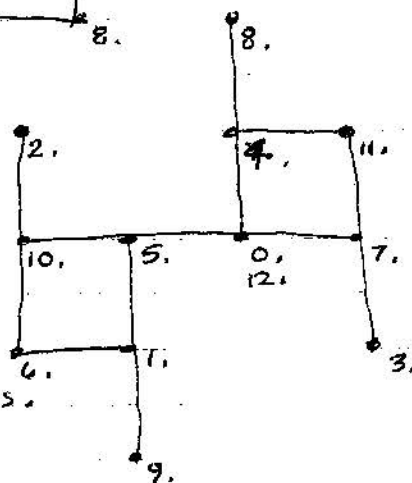
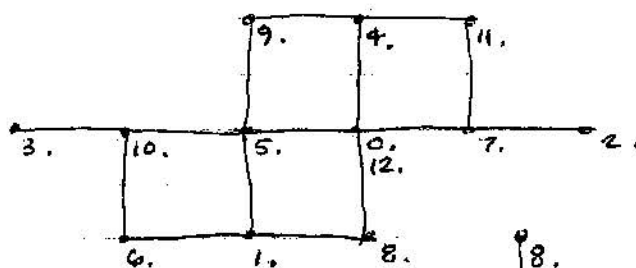
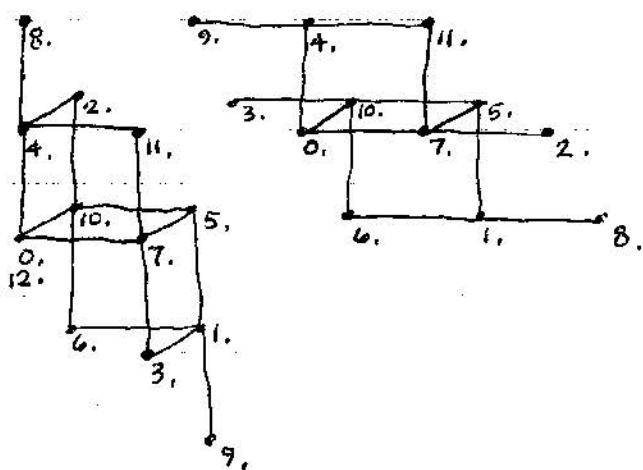
24 21
17 14 1
7 4



which give lattices.
(adding degree 14, 10, 5, 1
as shown)



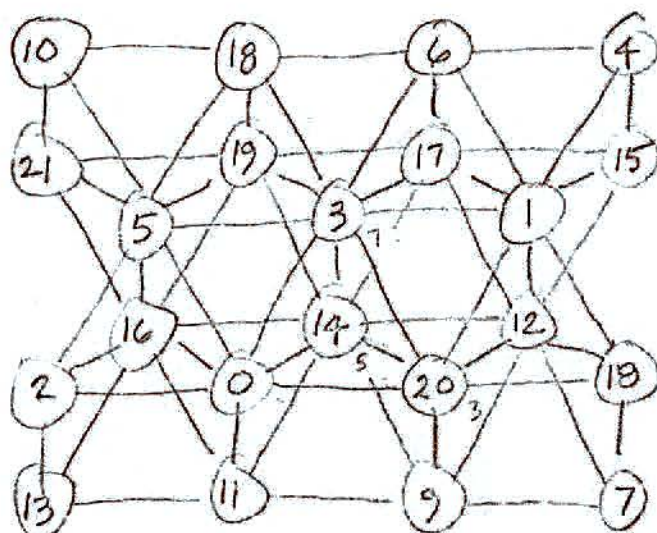
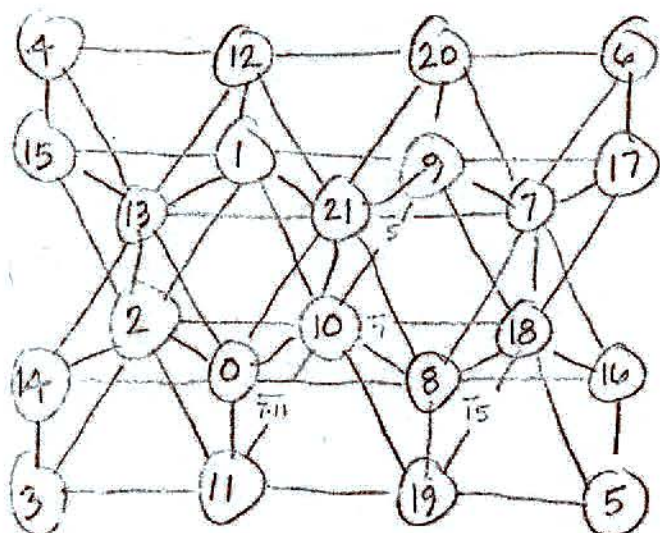
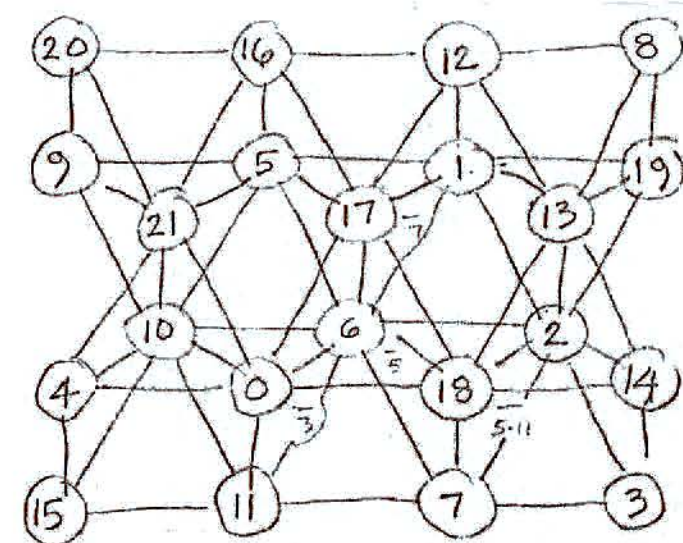
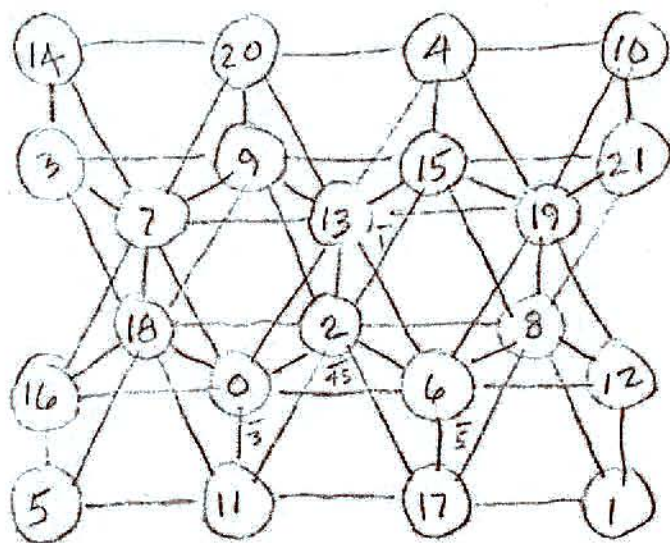
Component ^{112-Tone} scales of interest are:



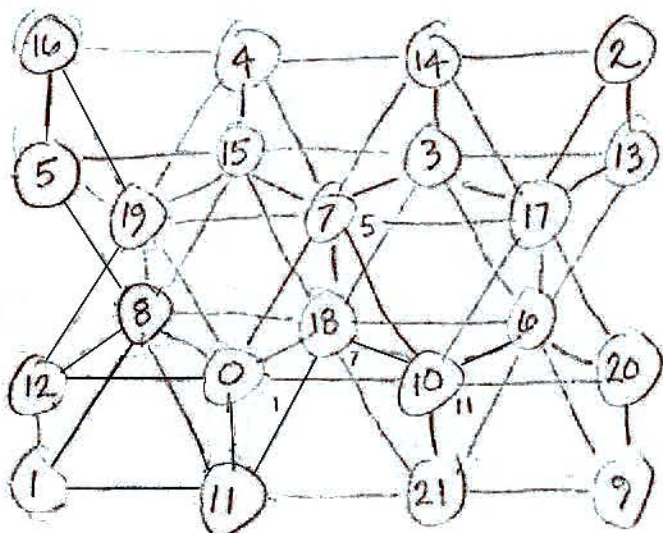
These, like the star-scale duplicate themselves
in there respective 22 tone systems with 6 common tones.

I'll talk to you later. Yours,

Err

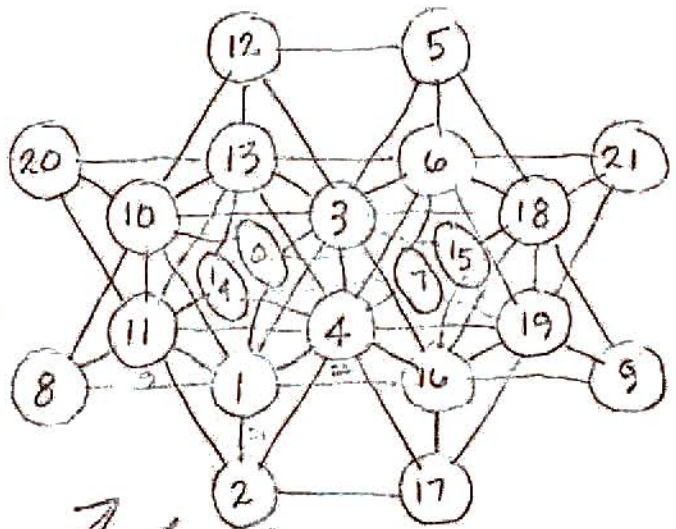
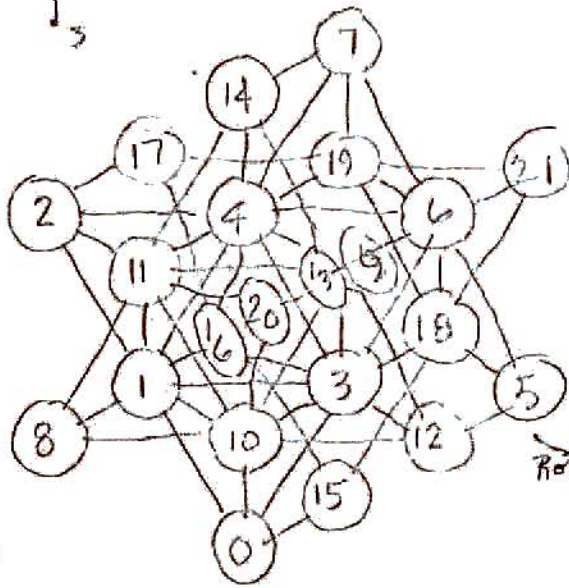


[1,9]

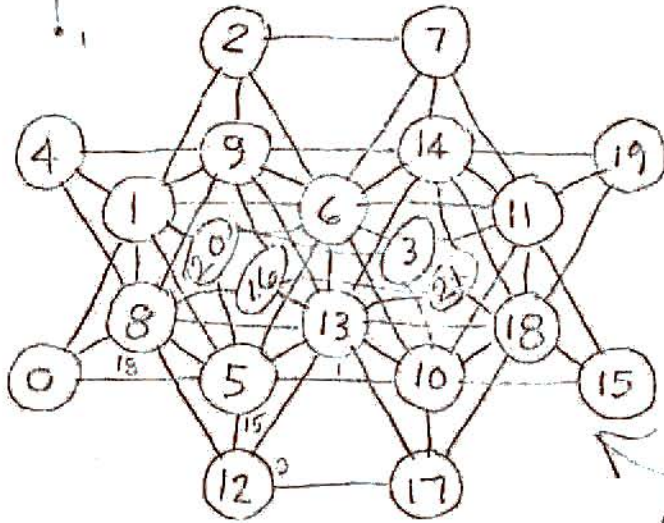
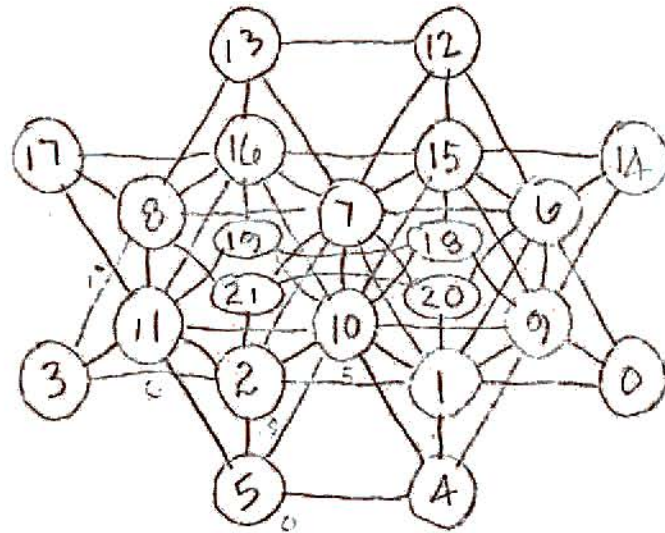


Here the tetrad 0 2 6 13 was put thru its transformations and extrapolated into a set of identical crystallographs. These are respectively identical with the transformations of the entire crystallograph '1'. That they are each also articulated is important, but inevitable.

Fig. 1

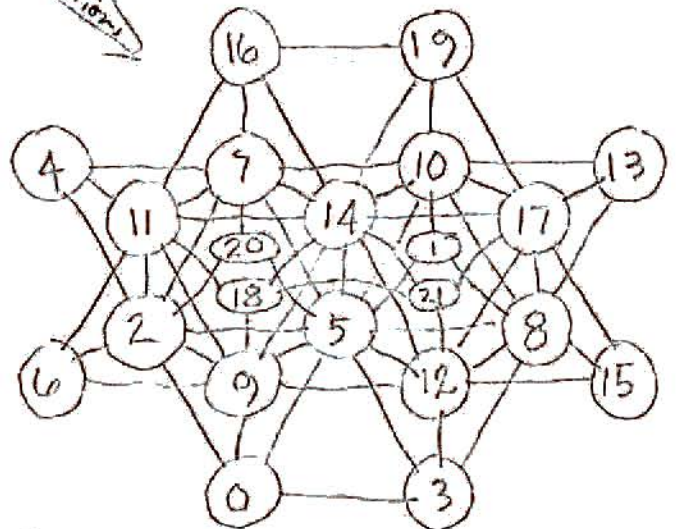
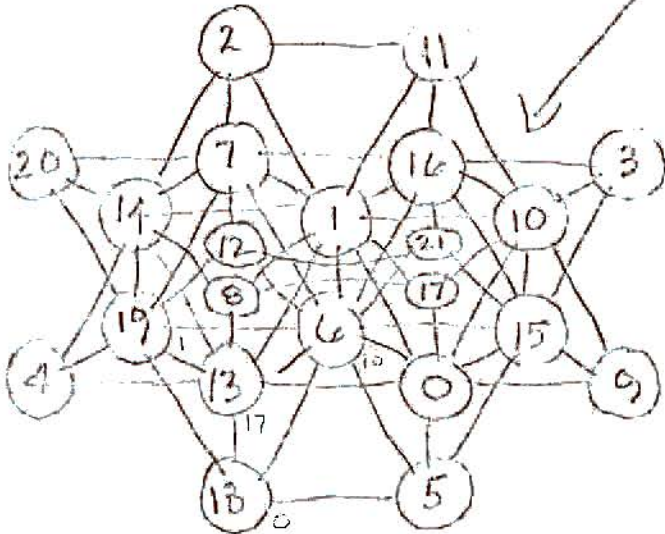


Rotation



Transformations

Transformation

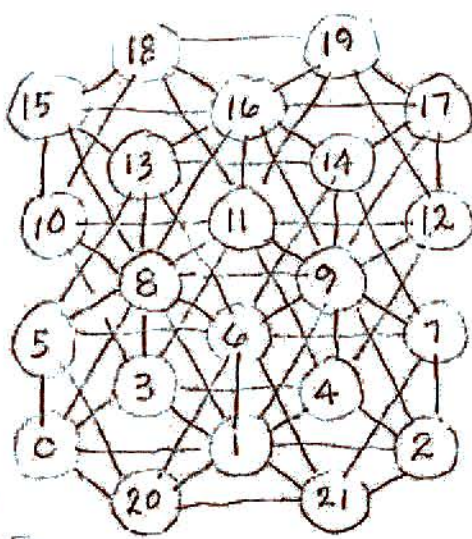


0 1 6 13

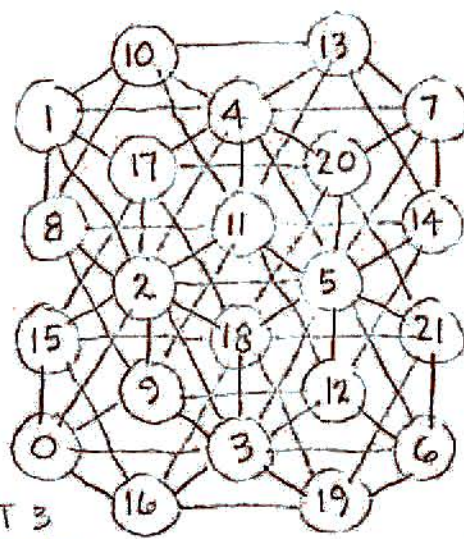
P. 9.

This is work in progress.
I had supposed These 5 double-mandalas to be all, but Transformation Techniques indicate otherwise.
(over)

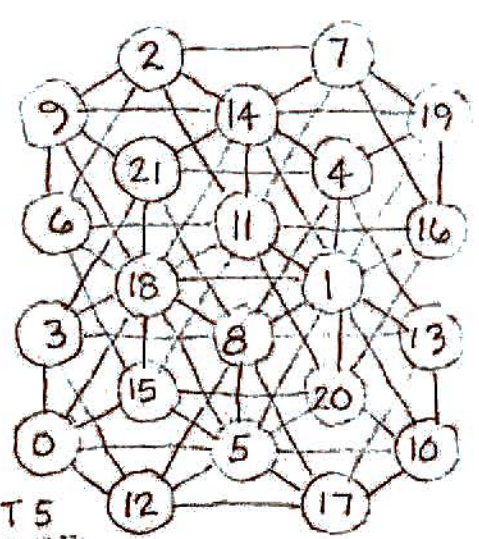
Since I have 3 transformation species (unless I have erred)
I must have at least 15 double-diamonds. (This also
points up how vulnerable to error band-searching techniques
can be) more on these later.



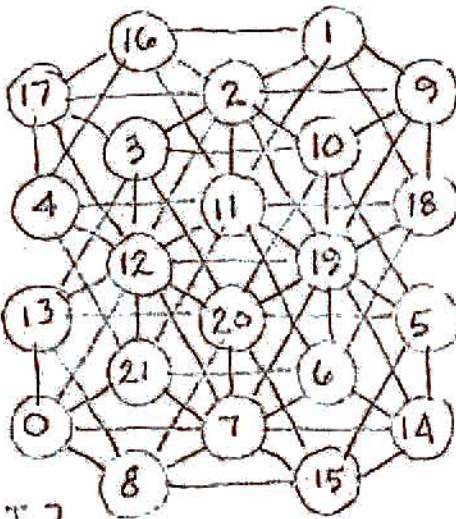
T1
T21R



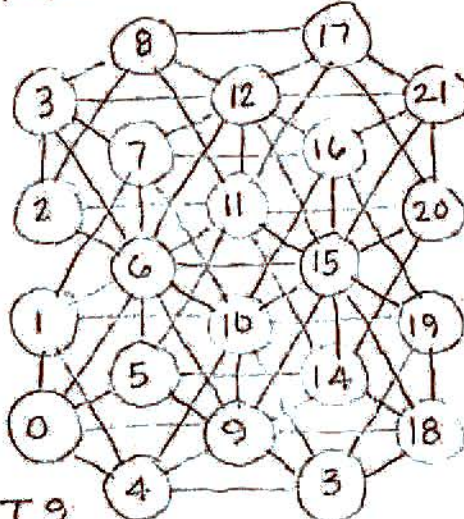
T3
T19R



T5
T17R



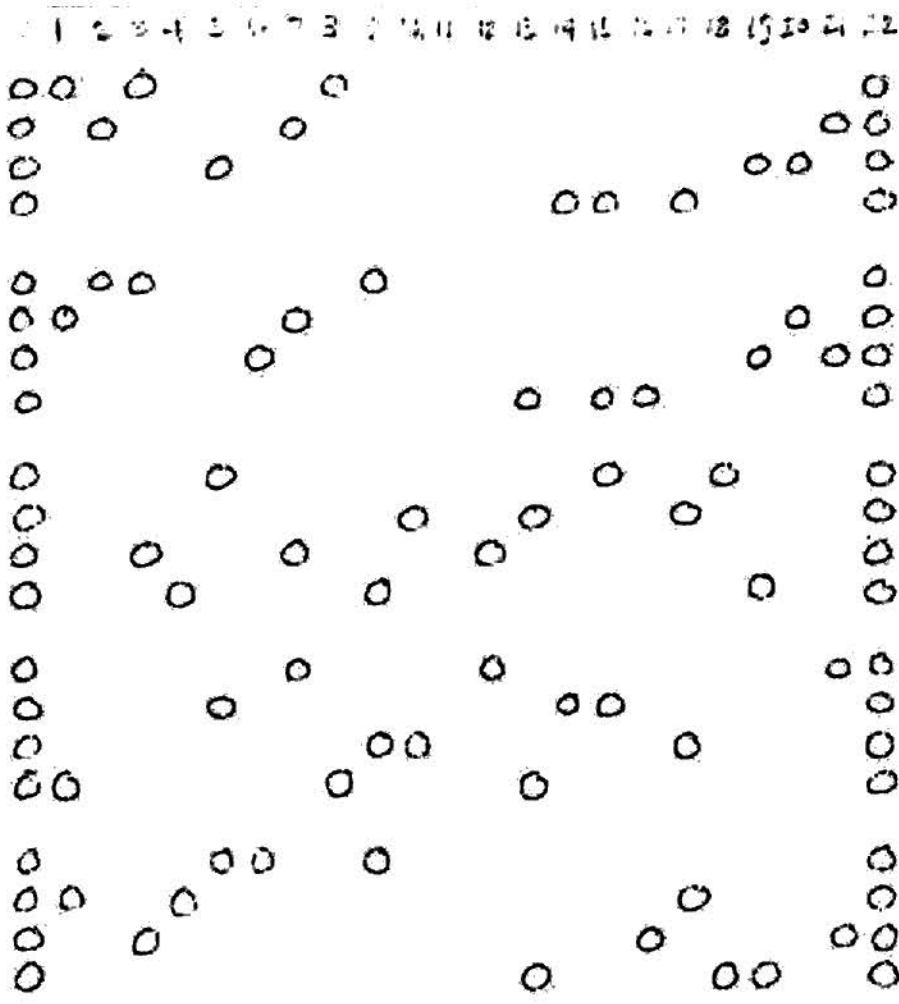
T7
T15R



T9
T13R

Another example of the transformations of an articulated structure to likewise articulated structures in identical crystallography.

SUNOBY PASTEL 501 SUNOBY 1001



1	2	5	14
2	5	14	1
5	14	1	2
14	1	2	5
2	1	6	13
1	6	13	2
6	13	2	1
13	2	1	6
5	10	3	4
10	3	4	5
3	4	5	10
4	5	10	3
7	5	9	1
5	9	1	7
9	1	7	5
1	7	5	9
5	1	3	13
1	3	13	5
3	13	5	1
13	5	1	3

1

3

5

7

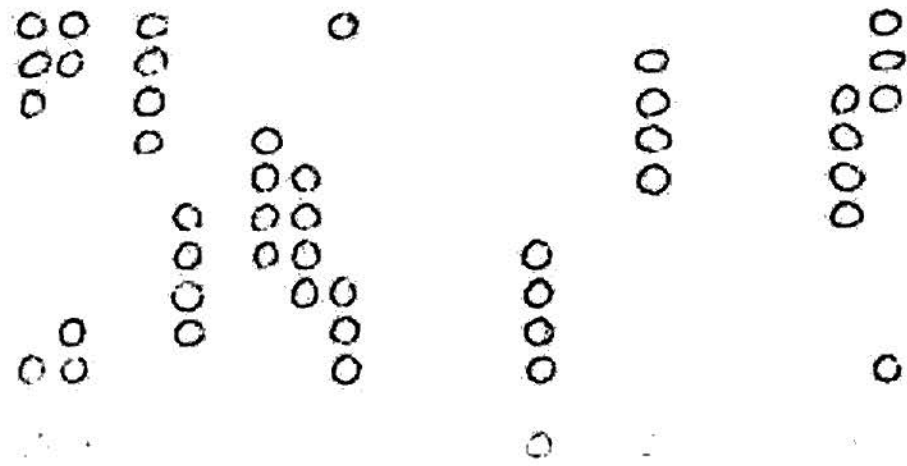
9

4 2 4 2 4 2 4 2 4 2 0 2 4 2 4 2 4 2 4 2 4

Internal frequency *

	Total				code	Hexany				code
	1	2	5	14		1	3	8	4	
1	0	1	3	8	1 2 5 14	1	3	8	4	9 11
3	0	3	9	2	2 1 6 13	3	9	2	12	5 11
5	0	5	15	18	5 10 3 4	5	15	18	20	1 11
7	0	7	21	12	7 5 9 1	7	21	12	6	19 11
9	0	9	5	6	5 1 3 13	9	5	6	14	15 11

0 1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18 19 20 21 22

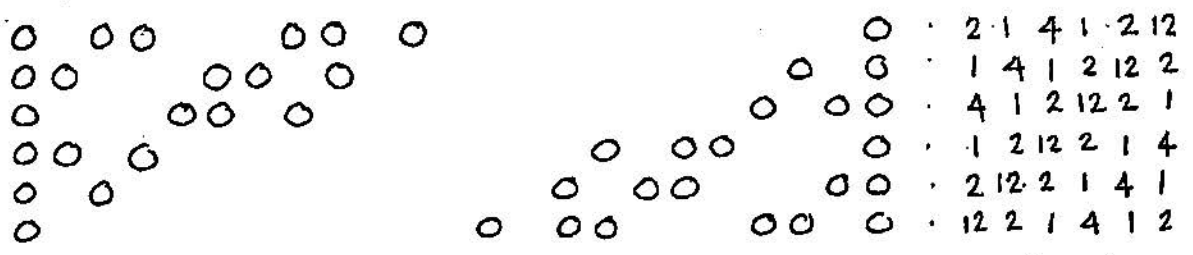


1	1	2	5	14
-3	1	2	13	6
9	3	13	5	1
-5	3	10	5	(4)
-7	1	9	5	(7)
-1	2	1	14	(5)
3	2	1	6	(13)
-9	3	1	5	(13)
5	3	4	5	(10)
7	1	7	5	9

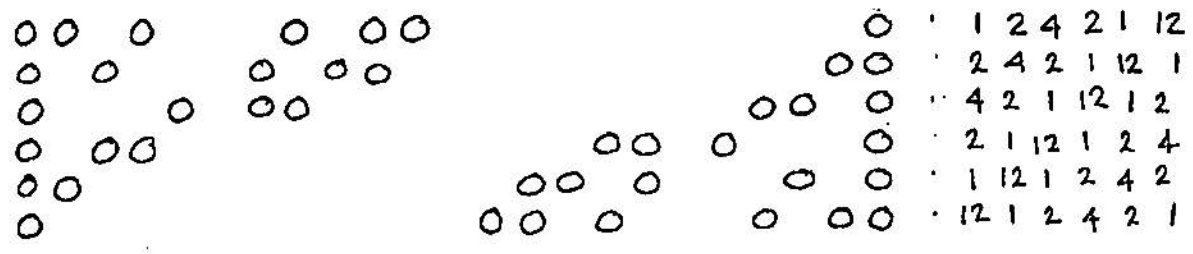
(1) return to beginning

0 1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18 19 20 21 22

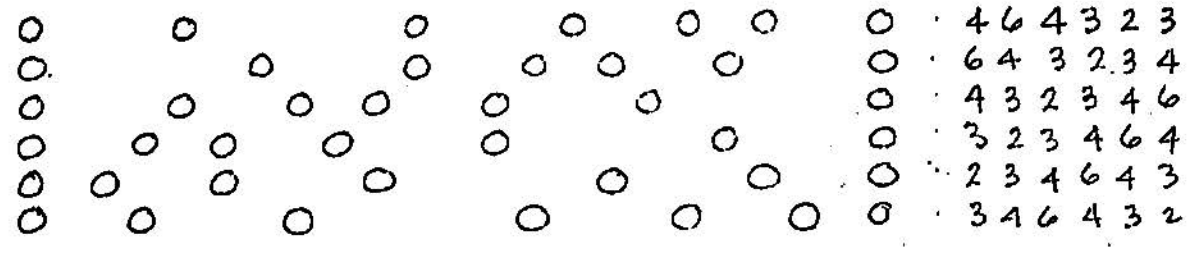
Cycle of Hexany Transforms



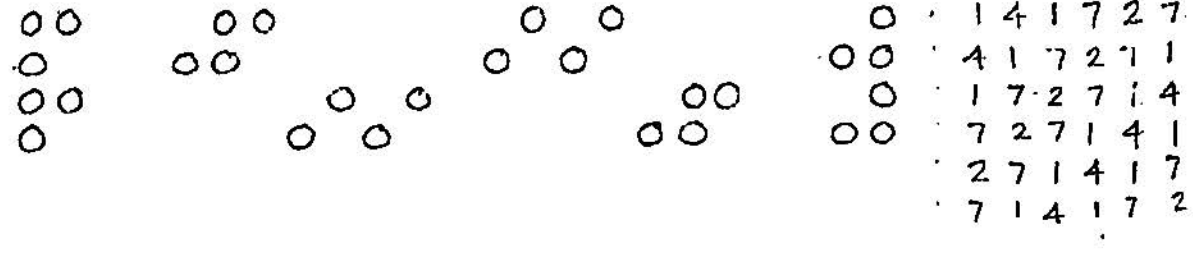
1



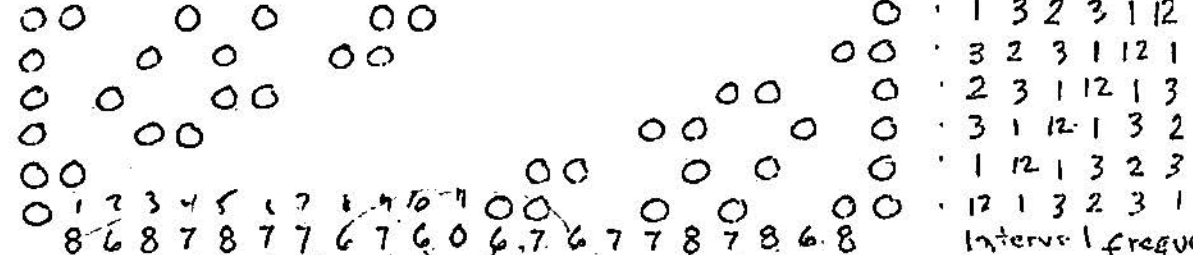
3



5



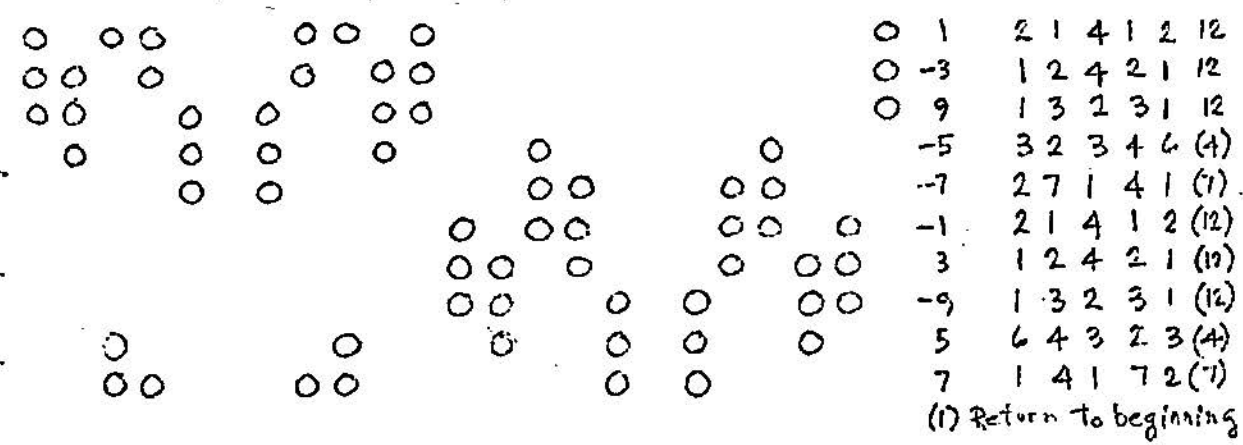
7

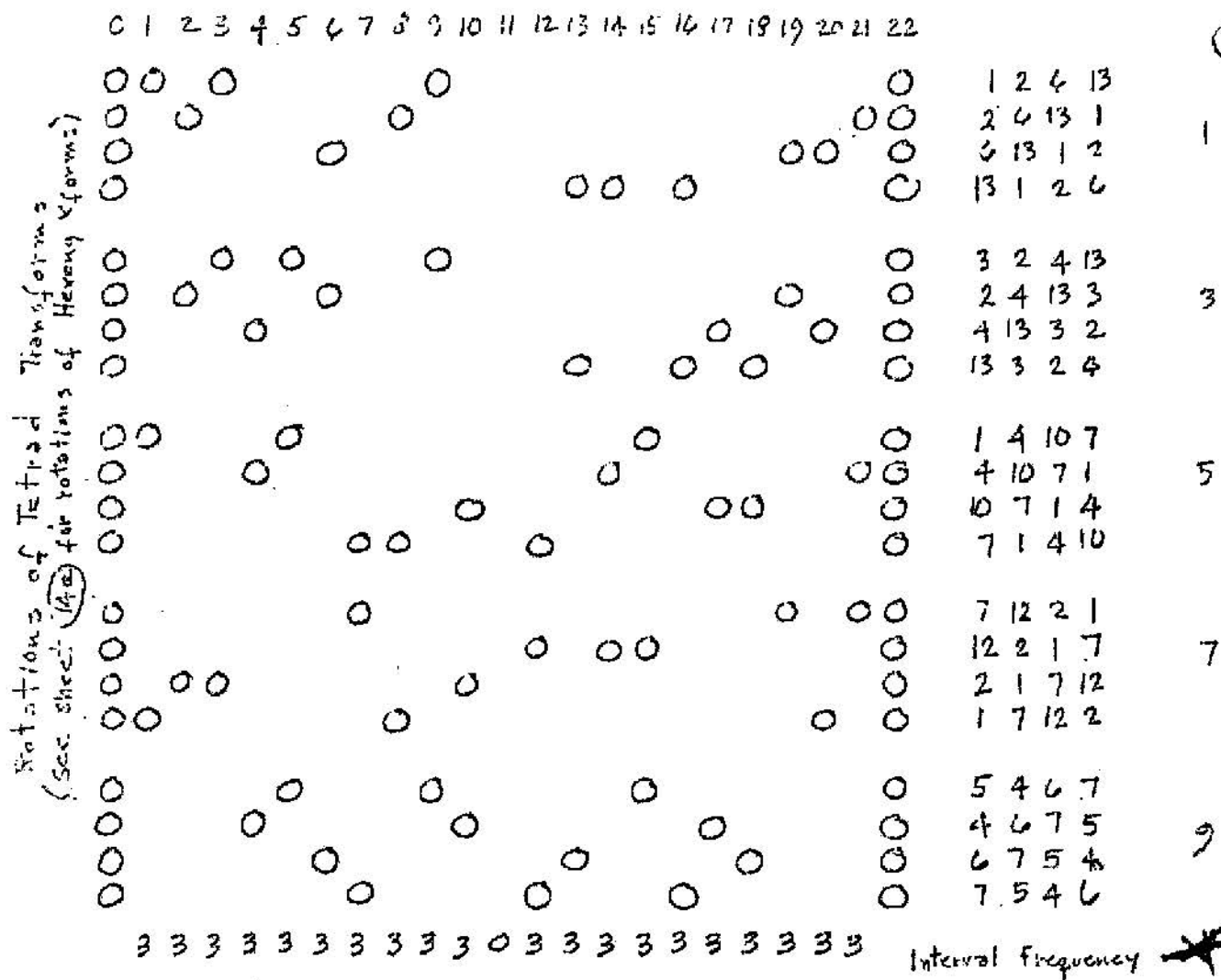


9

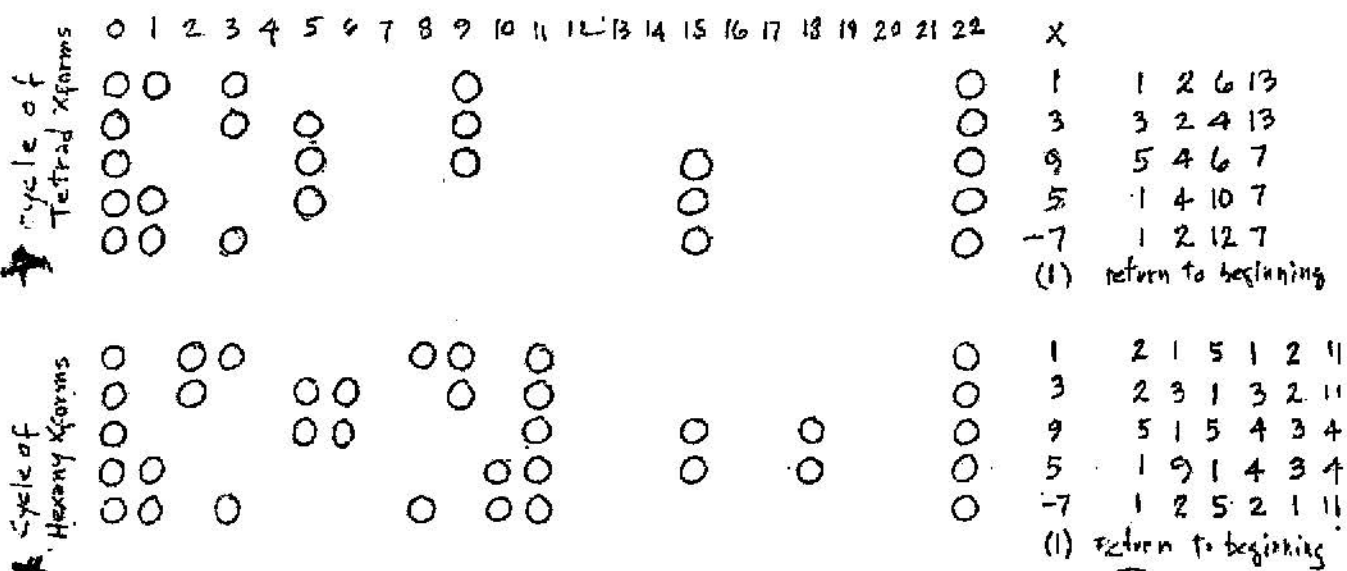
0 1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18 19 20 21 22 x

Cycle of Hexany Transforms



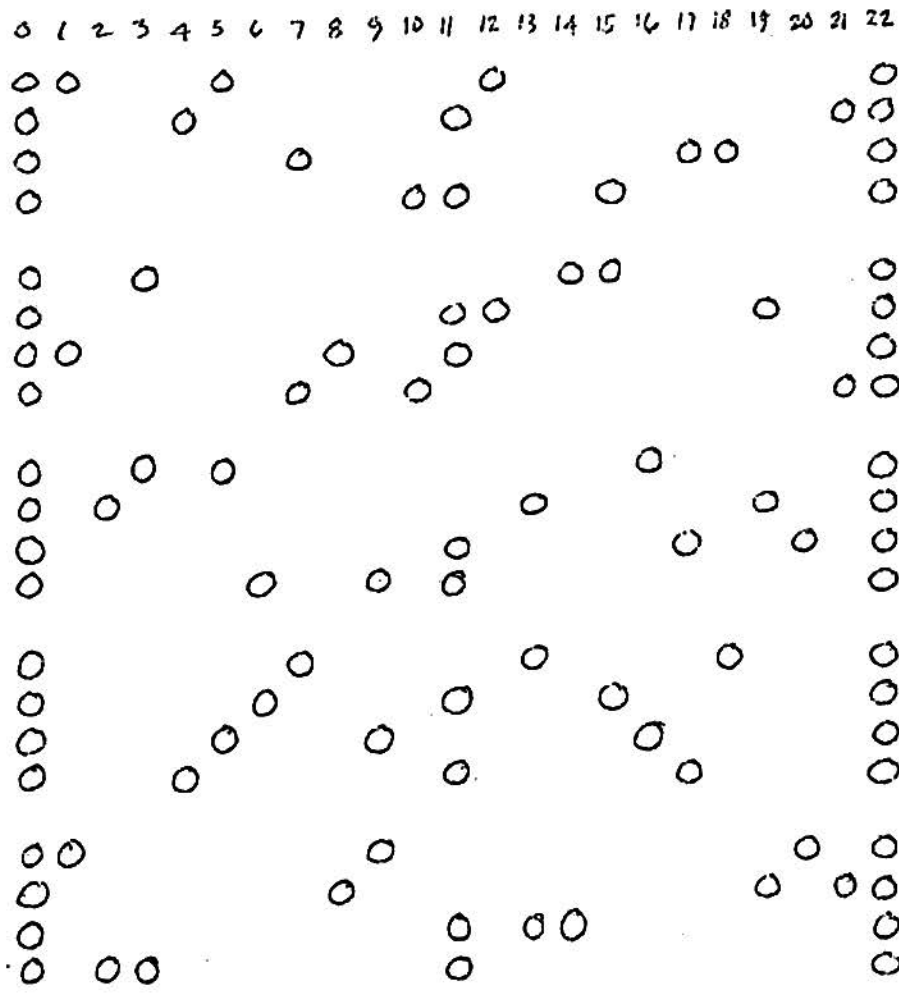


x	Tetrad				code	Hexany						Code			
	1	2	6	13		1	3	9	4	10	12	2	1	5	11
1	0	1	3	9	1 2 6 13	1	3	9	4	10	12	2	1	5	11
3	0	3	9	5	3 2 4 13	3	9	5	12	8	14	2	3	1	11
5	0	5	15	1	1 4 10 7	5	15	1	20	6	16	4	1	9	11
7	0	7	21	19	7 12 2 1	7	21	19	6	4	18	2	1	11	11
9	0	9	5	15	5 4 6 7	9	5	15	14	2	20	3	4	5	11



cont. on sheet 14a

Rotations of Tetrad Transforms



1	4	7	10
4	7	10	1
7	10	1	4
10	1	4	7
3	11	1	7
11	1	7	3
1	7	3	11
7	3	11	1
3	2	11	6
2	11	6	3
11	6	3	2
6	3	2	11
7	6	5	4
6	5	4	7
5	4	7	6
4	7	6	5
1	8	11	2
8	11	2	1
11	2	1	8
2	1	8	11

1

3

5

7

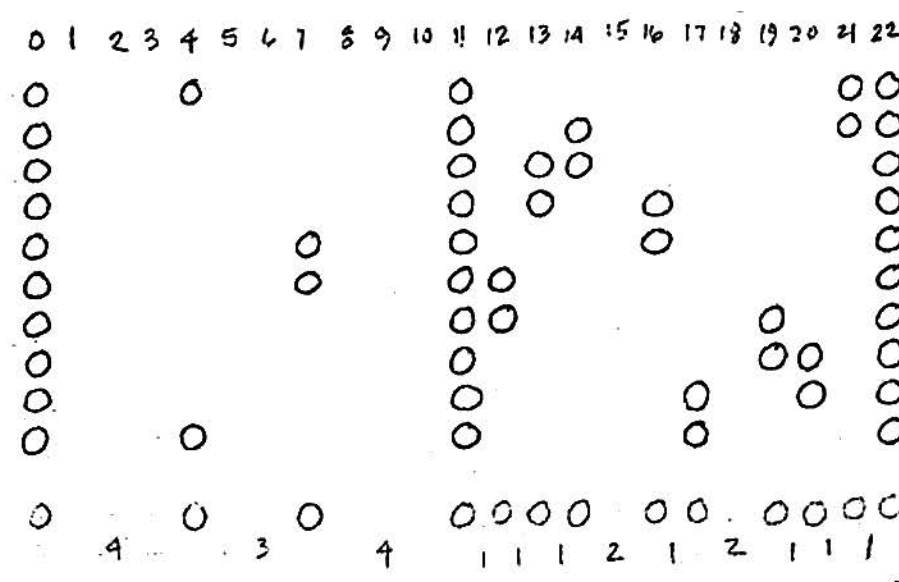
9

3 2 3 2 3 2 3 2 3 2 10 2 3 2 3 2 3 2 3

Interval frequency *

	Tetrad				Hexany			
x	1	4	7	10	code	1	5	12
1	0	1	5	12	1 4 7 10	1	5	12
3	0	3	15	14	3 11 1 7	3	15	14
5	0	5	3	16	3 2 11 6	5	3	16
7	0	7	13	18	7 6 5 4	7	13	18
9	0	9	1	20	1 8 11 2	9	1	20

Cycle of Tetrad Xforms



1	4	7	10
-3	11	3	7
9	11	2	1
-5	11	2	3
-7	7	4	5
-1	7	4	1
3	11	1	7
-9	11	8	1
5	11	6	3
7	4	7	6

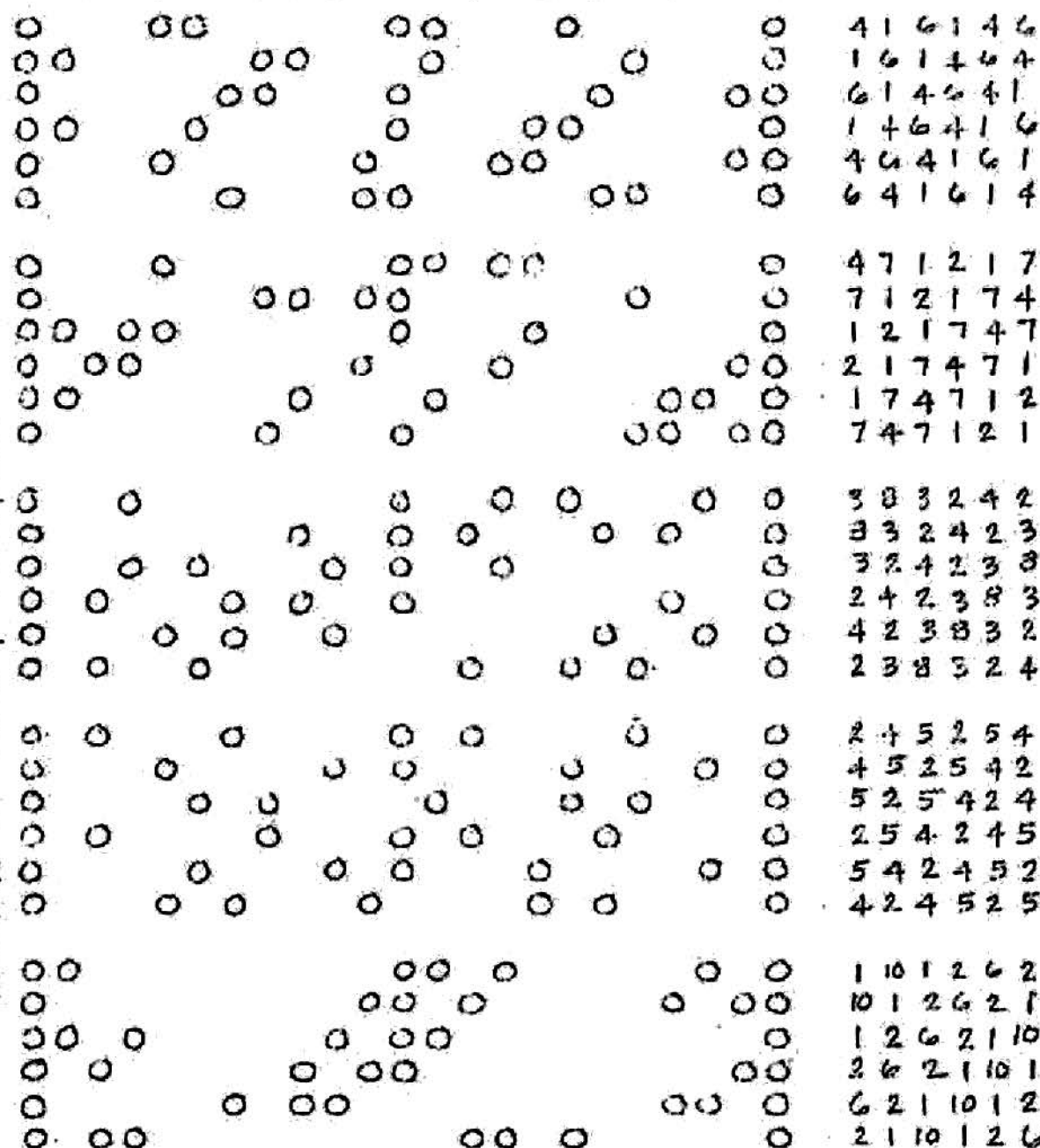
(1) return to beginning

4 3 4 1 1 1 2 1 2 1 1 1

1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18 19 20 21 22

(23a)

Relations of Hexony Transforms



4	1	6	1	4	6
1	6	1	4	6	4
6	1	4	6	4	1
1	4	6	4	1	6
4	6	4	1	6	1
6	4	1	6	1	4
4	7	1	2	1	7
7	1	2	1	7	4
1	2	1	7	4	7
2	1	7	4	7	1
1	7	4	7	1	2
7	4	7	1	2	1
3	8	3	2	4	2
3	3	2	4	2	3
3	2	4	2	3	8
2	4	2	3	8	3
4	2	3	8	3	2
2	3	8	3	2	4
2	4	5	2	5	4
4	5	2	5	4	2
5	2	5	4	2	4
2	5	4	2	4	5
5	4	2	4	5	2
4	2	4	5	2	5
1	10	1	2	6	2
10	1	2	6	2	1
1	2	6	2	1	10
2	6	2	1	10	1
6	2	1	10	1	2
2	1	10	1	2	6

3

5

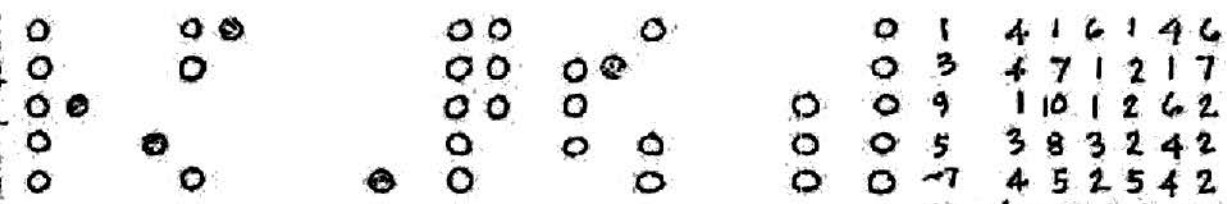
7

3

6 7 6 7 6 7 6 7 6 7 20 7 6 7 6 7 6 7 6 7 6 Interval frequency

1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18 19 20 21 22

Cycle of Hexony Transforms



1	4	1	6	1	4	6
3	4	7	1	2	1	7
9	1	10	1	2	6	2
5	3	8	3	2	4	2
7	4	5	2	5	4	2

(1) return to beginning

*

